Experimental Approaches in Computer Science

> Dror Feitelson Hebrew University

Lecture 4 – Microbenchmarks

What would you like to measure?

- Overhead of context switch
- Overhead of trap into kernel
- Memory bandwidth
- Network bandwidth
- CPU frequency
- Cache size



time for

Microbenchmark – a benchmark designed to measure a specific feature

- Time
  - using gettimeofday()
- Rate
  - is work per unit time
  - so enough to measure time again
- Parameters
  - can often be inferred from discontinuities in timing measurements

#### Imbench

#### McVoy and Staelin Usenix Technical Conf, Jan 1996

Imbench is a microbenchmark suite for computer systems, with emphasis on low-level primitives

Goals:

- Focus on basic building blocks used in system design
- Compare systems from different vendors
- Portability by using common tools

Memory bandwidth

- Size = 8MB to defeat caches but fit into memory
- bcopy gives half the bandwidth of read/write, because does both
- For small sizes could be 1/3 of the bandwidth, because destination cache lines need to be read first before being partially overwritten
- For read suggest to sum up the read data to enable optimization but avoid losing the whole operation
  - Memory access much higher than add, so not a large perturbation

IPC bandwidth

- Pipes: transfer 50MB in 64KB chunks
  - attempt to reduce effect of OS and context switching
- TCP: use 1MB chunks, 1MB buffers, loopback mode
  - attempt to get optimal performance
- These configurations actually based on memory copy, so should be related to memory bandwidth
  - may show use of optimizations to reduce copying
  - may depend on chunk and buffer sizes

Memory latency

- Def 1: time for a single cache miss
  - Reflects best achievable performance
  - Hard to measure in software
- Def 2: time for one in a sequence of cache misses with dependencies
  - Possible to measure in software
  - Better reflects effect on real applications:
- ;p = head
- (while (p -> next
- ;p = p->next

- Loop overhead can be 100 times less than access

The actual benchmark:

- Array of size *n*
- Cells contain address of cell that is k away (wrap back at end)
- Walk the array using p = \*p;
- Do this for different *n* and *k* (powers of 2)

 Identify cache and memory sizes by steps in graph

 $\mathbf{n}$ 

 $\mathbf{a}$ 

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 $\mathbf{n}$ 

 $\mathbf{C}$ 

Y

1

 $\mathbf{n}$ 

 Identify cache line size by smallest stride in main batch at next level (those that are faster benefit from multiple hits in same line)





log2(Array size)

Entry into the operating system

- Suggest using a loop of writing a single byte to /dev/null
- This is not optimized away in any system
- Alternatives like getpid or gettimeofday may be optimized or implemented as a user-level library function

Process creation alternatives

- Do fork and wait, child immediately exits
- Do fork and wait, child execs a hello world program
  - more realistic use
- Do fork and wait, child uses shell to run a hello world program

- include searching \$PATH

## **Context Switch**

- Ousterhout [1991]: create two processes that pass a byte back and forth via a pipe
- Problems:
  - Overhead to read/write pipe is high and varied
  - Only two processes
  - Processes do not have any working set, so effect on cache is missed

**Context Switch** 

- Imbench: create 2-20 processes that pass a token in a loop via pipes
  - Measure 2000 transfers of the token
  - Each process sums an array in memory before forwarding the token; repeat for different array sizes
  - Also do this on a single process to subtract overheads for read/write and summing from a hot cache

- Concentration of values at bottom left shows caching is effective across context switches
- No increase in latency as long as all working sets together fit into L2 = 256K

#### Context switches for Linux i686@167Mhz



Processes

○ size=0KB overhead=10
 □ size=4KB overhead=19
 △ size=16KB overhead=66
 × size=32KB overhead=129
 ● size=64KB overhead=255

#### mhz benchmark

Staelin and McVoy Usenix Technical Conf, Jan 1998 MHz benchmark: what is the clock rate on your machine?

- Idea: measure the time of k instructions, and divide by k
- Problems:
  - Low resolution for measuring this time
  - k C instructions can be compiled into a different number of machine instructions
  - On superscalar out-of-order processors operations may overlap

- Inspiration: in the 19<sup>th</sup> century, chemists and physicists found the atomic weight of the elements by finding the greatest common divisor of a set of measurements
- Similarly, the cycle time of a computer is the greatest common divisor of the times needed to complete a set of different instructions
- Only assumption: every instruction takes an integral number of clock ticks
- Requirement: find instructions that take relatively prime numbers of cycles

# Finding the GCD

- Problems
  - The measured times are not integral
  - The measurements include noise
- Solution
  - Let e<sub>min</sub> be the smallest measurement
  - For i=1..6, calculate b<sub>i</sub> = e<sub>min</sub> / i
    (these are candidates for being the cycle time)
  - Turn each measurement  $e_i$  into cycles by  $c_i = [e_i/b_i]$
  - Check whether  $(e_i,c_i)$  fit a straight line through (0,0)
  - The i that gives the best fit is chosen





Atomic instructions

- Will string together 100 times for a measurement
- Requirements:
  - Each depends on the previous one so will not be done in parallel
  - Even subexpressions cannot be done in parallel
  - Compiler cannot optimize them away

**Compiler optimization problems** 

- Instruction: a += a
- Optimized to a = 0
  - -a += a is equivalent to a = a << 1
  - Repeated 100 times this is a = a << 100
  - But a only has 32 bits
  - So the whole 100 repetitions are replaced by one instance of a=0

#### The selected instructions:

;p = *p
;a ^= a + a
;a ^= a + a + a
;a >>= b
;a >>= a + a
;a ^= a << b
;a ^= a + b
a += (a + b) & 07
;a++; a ^= 1; a <<= ^

Several pairs are the same except for one additional operations

hopefully turns into one additional cycle Summarizing repetitions of a measurement

- Repetitions usually lead to different results
- Some of the results are very different (outliers)
- Others just reflect uncertainty in the measurement (noise)
- How do we turn such multiple measurements into a single estimate?

Simple answer: take the average

• Average reflects all the measurements

• Minimizes 
$$\sum (x_i - m)^2$$

Which average?

- Arithmetic average
- Harmonic average
- Geometric average

Arithmetic average  $\overline{x} = \frac{1}{n} \sum x_i$ 

- Good for measured times
- When measured times double, so does the average

Harmonic average 
$$\bar{x} = \frac{1}{\frac{1}{n}\sum \frac{1}{x_i}}$$

- Good for measured rates  $x_i = w/t_i \rightarrow \overline{x} = \frac{nw}{\sum t_i}$  total work total time
- When measured times double, the average should be halved

# Geometric average $\overline{x} = \sqrt{\prod x_i}$

- Gives consistent results when all x<sub>i</sub> are measured relative to one of them, all have same weight
  - Therefore used in SPEC
- However, inconsistent with total time
  - If times double, average does not
- Useful for average of multiplicative process
  - X<sub>i</sub> is improvement factor of component i
  - Average improvement of all components given by geometric mean

### Measurement results

	Benchmark 1	Benchmark 2
System A	13 sec	16.5 sec
System B	19.5 sec	11 sec

#### Normalized by system A

	Benchmark 1	Benchmark 2	average
System A	1	1	1
System B	1.5	0.667	1.08

#### Normalized by system B

	Benchmark 1	Benchmark 2	average
System A	0.667	1.5	1.08
System B	1	1	1

Geometric average  $\overline{x} = \sqrt{\prod x_i}$ 

- Gives consistent results when all x<sub>i</sub> are measured relative to one of them, all have same weight
  - Therefore used in SPEC
- However, inconsistent with total time
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- Useful for average of multiplicative process
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• Alternative 1: the median

More robust in face of outliers

• Minimizes 
$$\sum |x_i - m|$$





• Alternative 2: use the minimal value

- Interference typically adds time to the measurement
- So the minimal measurement is the one that has suffered the least noise
- Potential problem: if subtracting measurement overhead, minimal result may actually reflect subtraction of an inflated overhead measurement

Using microbenchmarks to analyze system performance

Brown & Seltzer SIGMETRICS 1997

- Systems are built in layers
  - hardware primitives
  - low-level operating system primitives
  - high-level operating system services
  - user applications
- Performance of applications depends on interactions among the lower components
- To understand performance, need to
  - 1) measure the different primitives in isolation
  - 2) characterize combinations and interactions

Example: decomposition of bulk data transfer



# Raw memory bandwidth

- Dependence on benchmark
  - max BW achieved by walking prearranged pointers
  - more realistic to include indexing of array
- Dependence on hardware features
  - memory technology
  - bus width
  - bus clock rate and its relation to CPU clock rate
  - support for burst transfers on bus (avoid need for bus negotiation)
  - combined writes from cache (writing complete line avoids need to first read and then modify)
- Many delicate details

Kernel service and application bandwidth

- Based on hardware primitive bandwidth we can predict bandwidth at higher levels
  - copy BW =  $\frac{1}{2}$  harmonic mean of read BW, write BW
- Deviations indicate interaction with some other aspect of the system
- Example: alternating reads and writes may require different pattern of negotiations for bus

Practical insight:

- Performance depends on intricate details
- Very hard to predict
- Very sensitive to unknown bottlenecks or incompatibilities
- For dedicated-system procurement, better to use application-level benchmarks