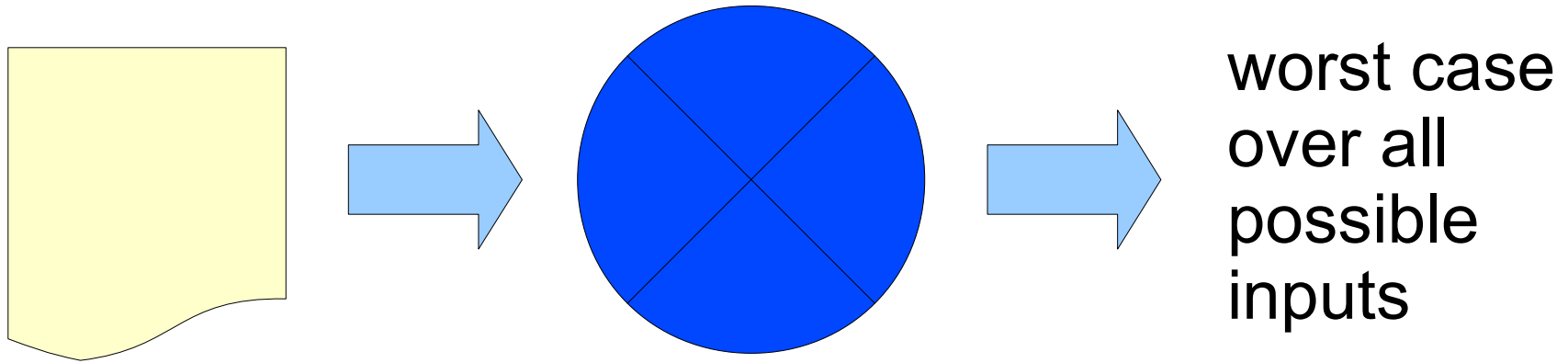


Experimental Approaches in Computer Science

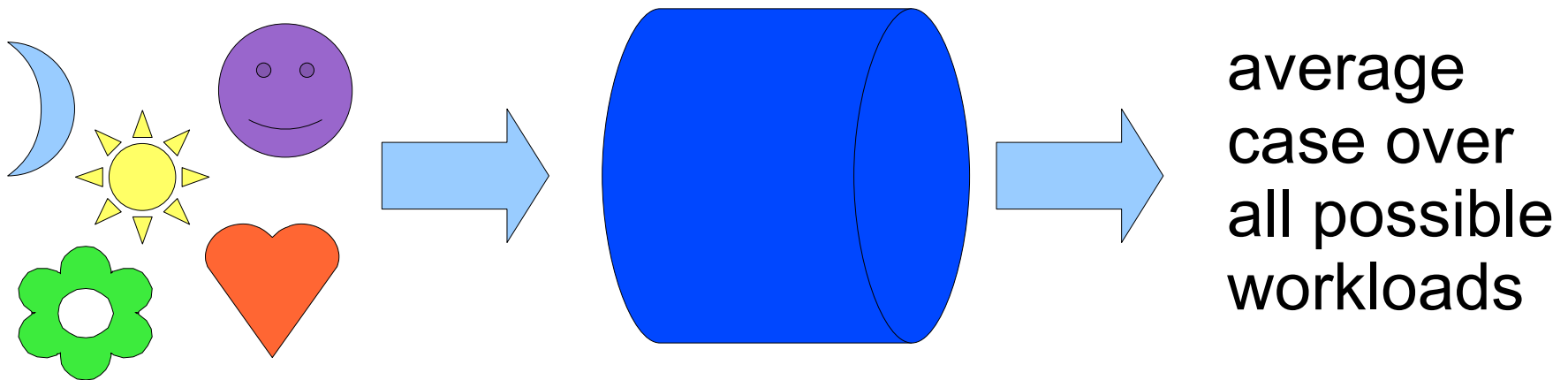
Dror Feitelson
Hebrew University

Lecture 7 – Observations about Workloads

In algorithm analysis, performance depends on the input



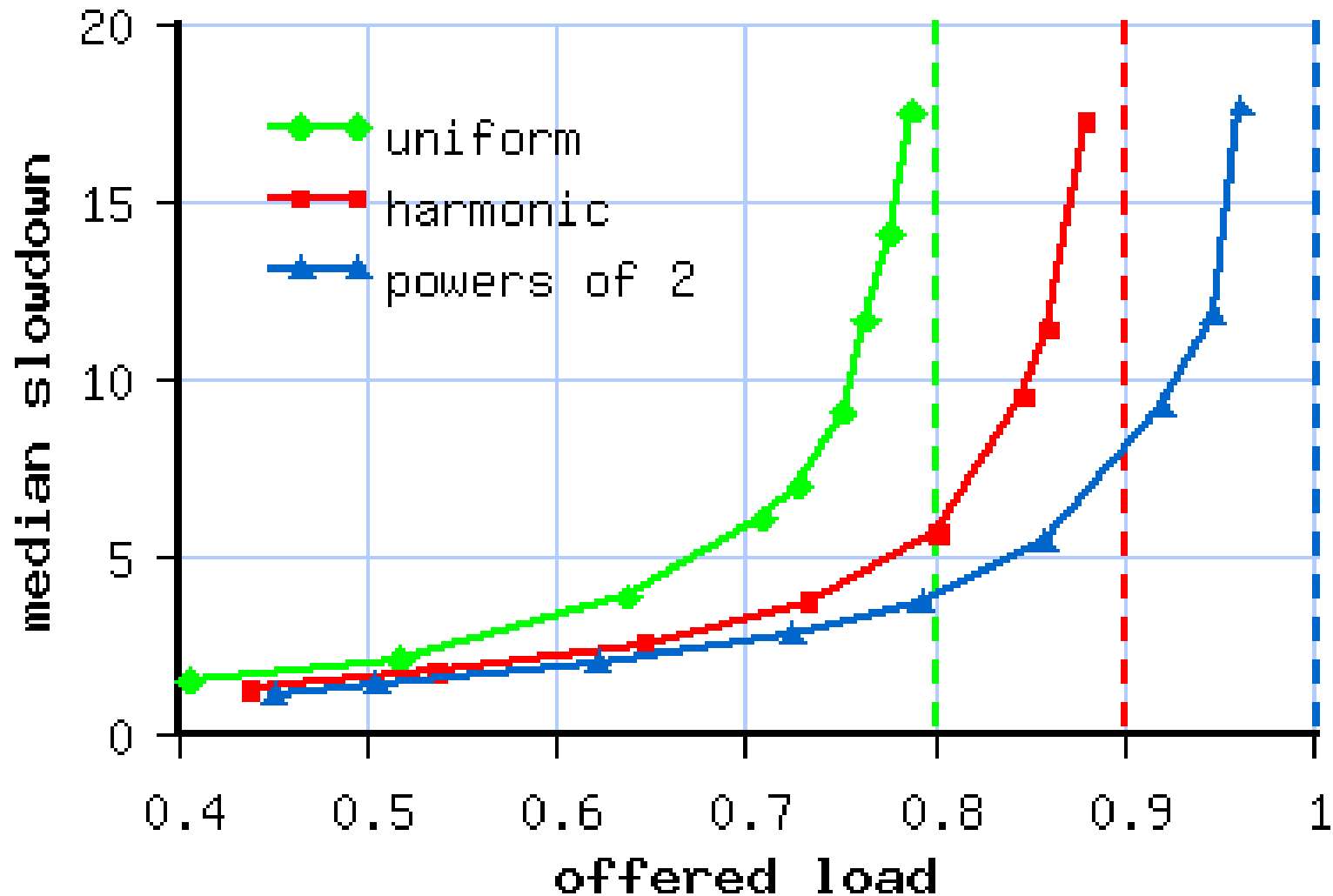
In systems analysis, the input is the workload



The main requirement from workloads is that they be **representative**

- Lead to *exactly the same* performance evaluation results as will occur with real production workloads
 - Include all and only the important features
 - Need iterative evaluations to find what is important
- Or lead to *qualitatively similar* performance evaluation results
 - Reliably conclude that approach A is better than B
- Or at least exhibit the same *general behavior*
 - Include known features because they might be important

Example: packing parallel jobs for execution depends on the distribution of sizes. A uniform distribution suffers the worst fragmentation



Sources of workload data

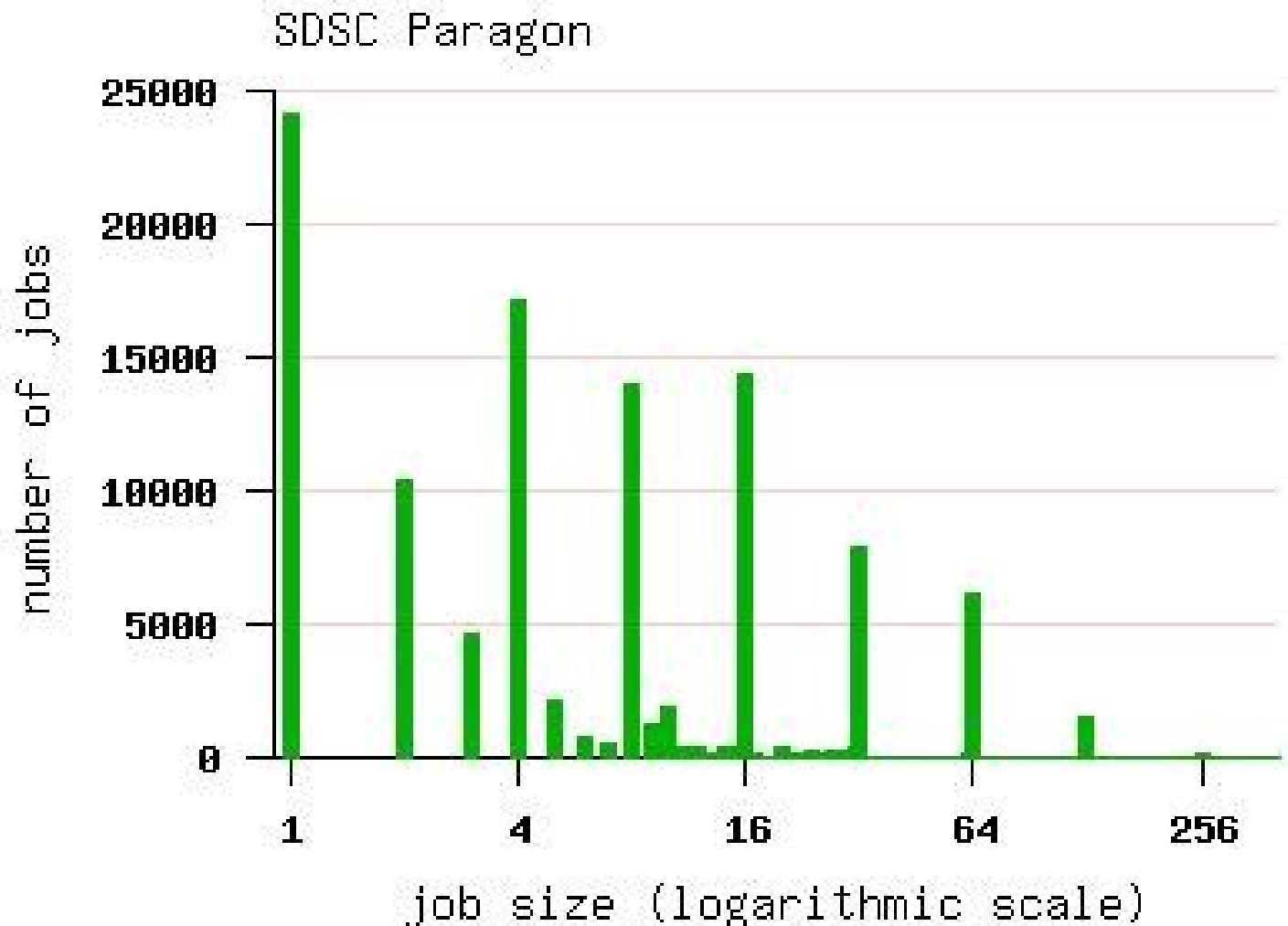
- Active instrumentation
 - Network sniffers to record packets
 - Instrument an I/O library to record operations
 - Collect data from architecture counters
- Use available data
 - Many systems collect data for accounting
 - Web server access logs
 - Parallel Workloads Archive
www.cs.huji.ac.il/labs/parallel/workload/

Workload Statistics

- Typical way to characterize or model a workload is using statistics
- Distributions of workload attributes
- Correlations among workload attributes
- All this is based on experimental observations

Distributions may be modal

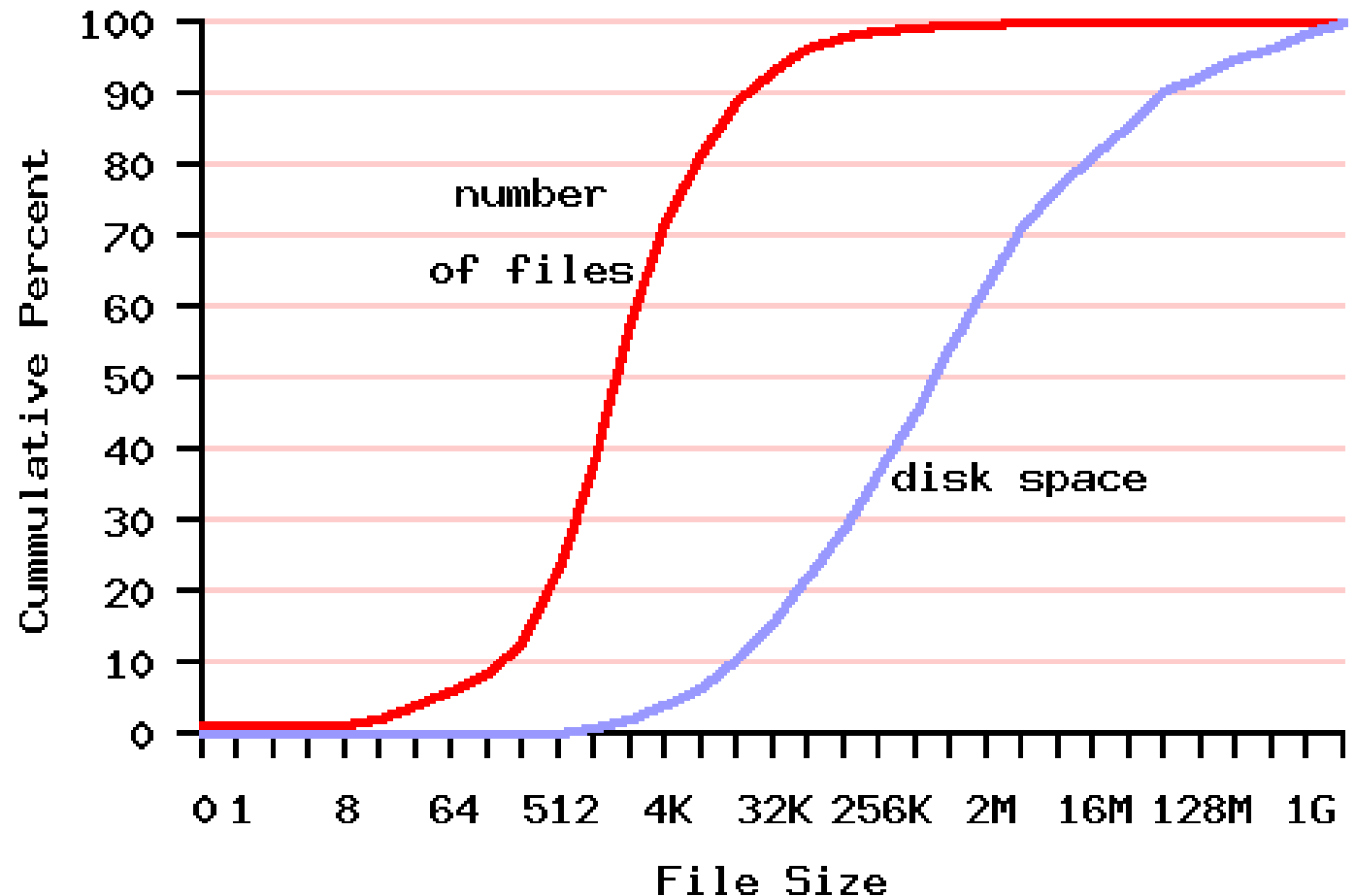
- File sizes
- Parallel job sizes
- Network packet sizes



Distributions may be heavy tailed

- File sizes
- Process runtimes
- Web page popularity

(more on this later)



Arrival processes tend to be bursty

- Not well-modeled by a Poisson process
- Do not average out when aggregated
- Fluctuations in load at many different time scales

(more on this later)

Many workloads tend to display locality

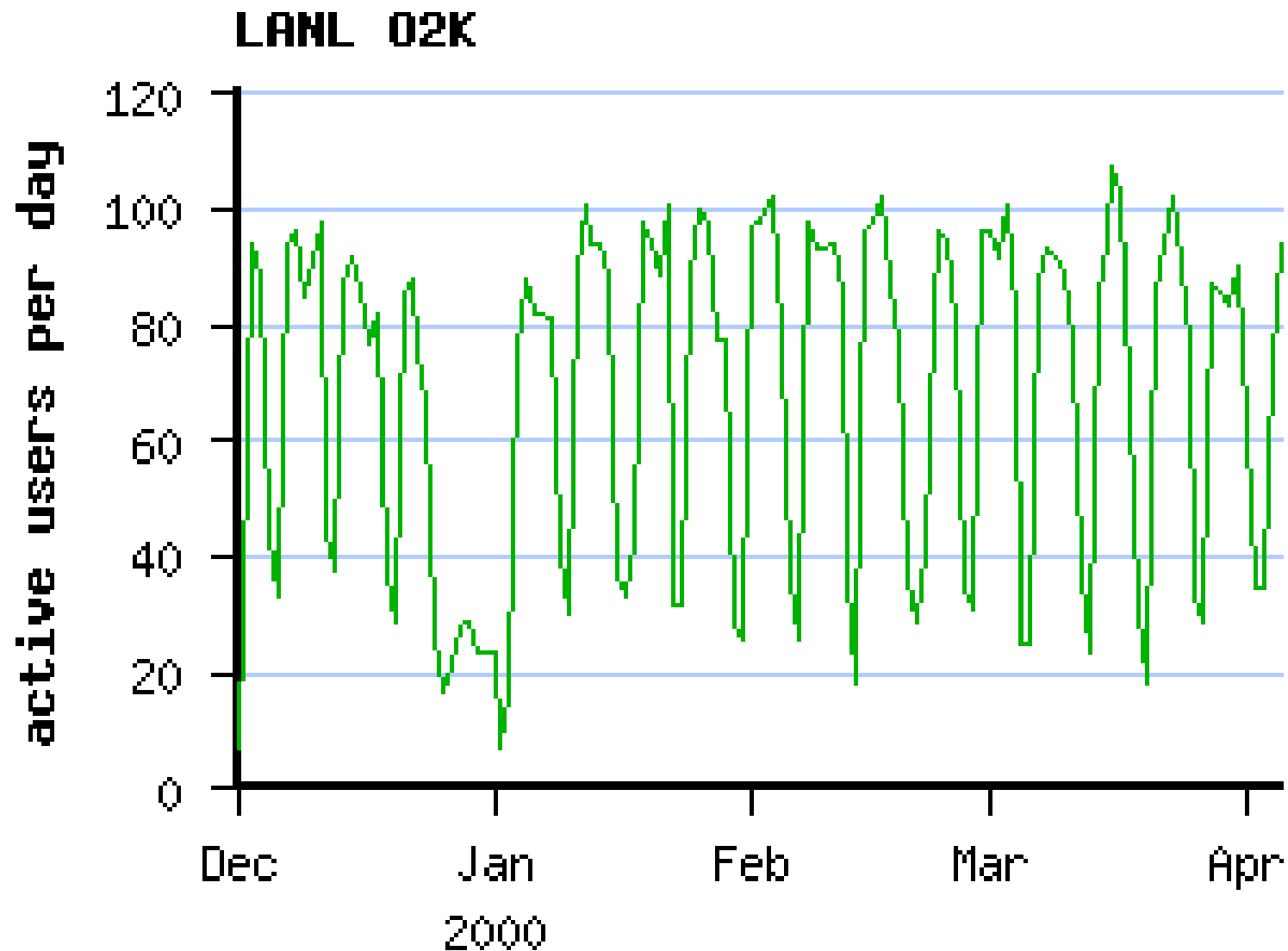
- Not well-modeled by a random sampling from a distribution
- Significant short-range correlations
 - Repetitions of the same activity
 - Repetitions of the same sequences
- Adaptation and evolution over longer ranges

(more on this later)

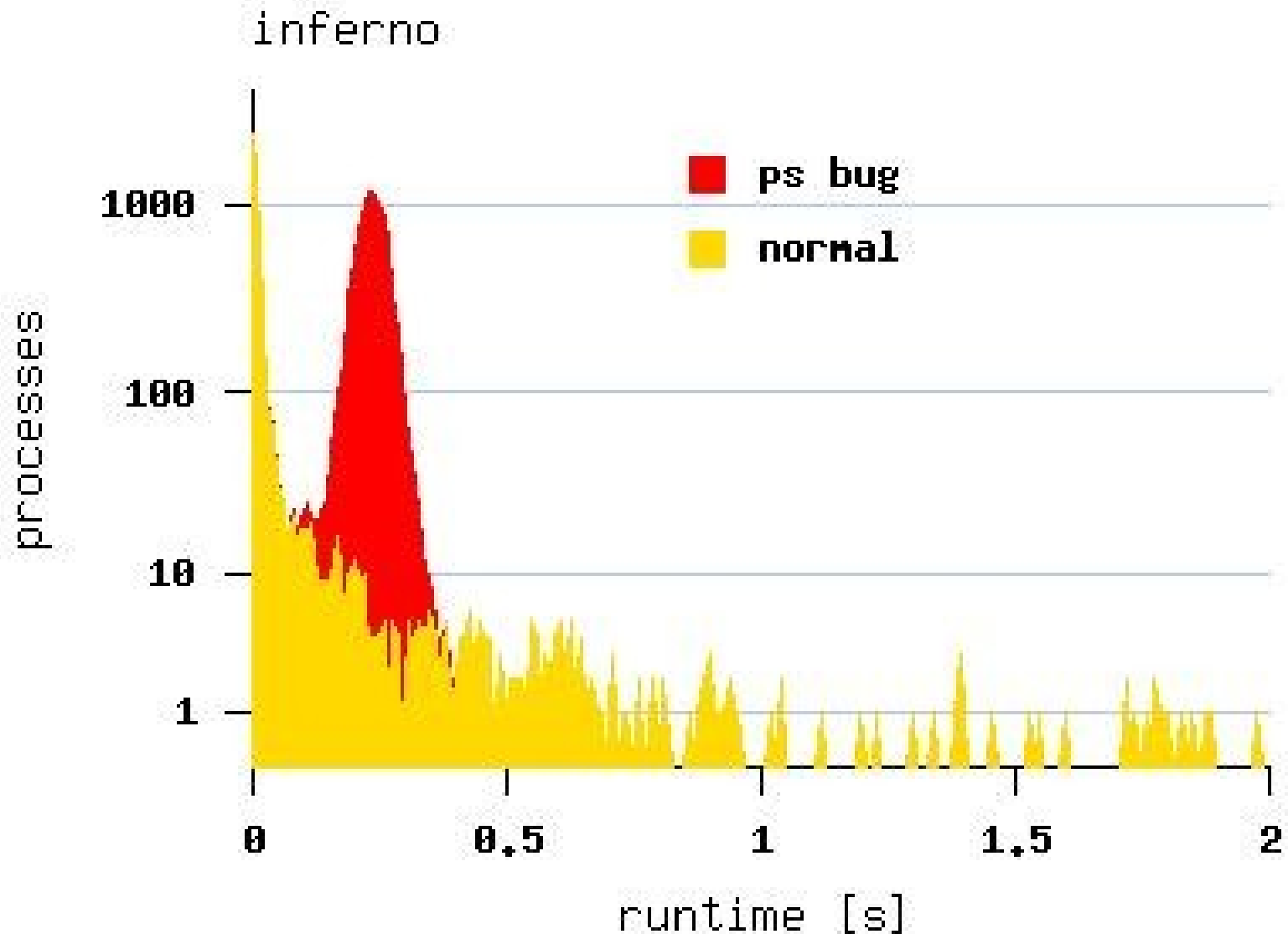
Data Cleaning

- Workload data may be multiclass
 - A mixture of different workloads
- We may be interested in only part of them
 - Real user work as opposed to system administrator activity
 - User applications as opposed to the OS
- Especially if one class is actually junk
 - Errors in tabulating the data
 - Unique and unrepresentative activity
- Undesired data should be filtered out

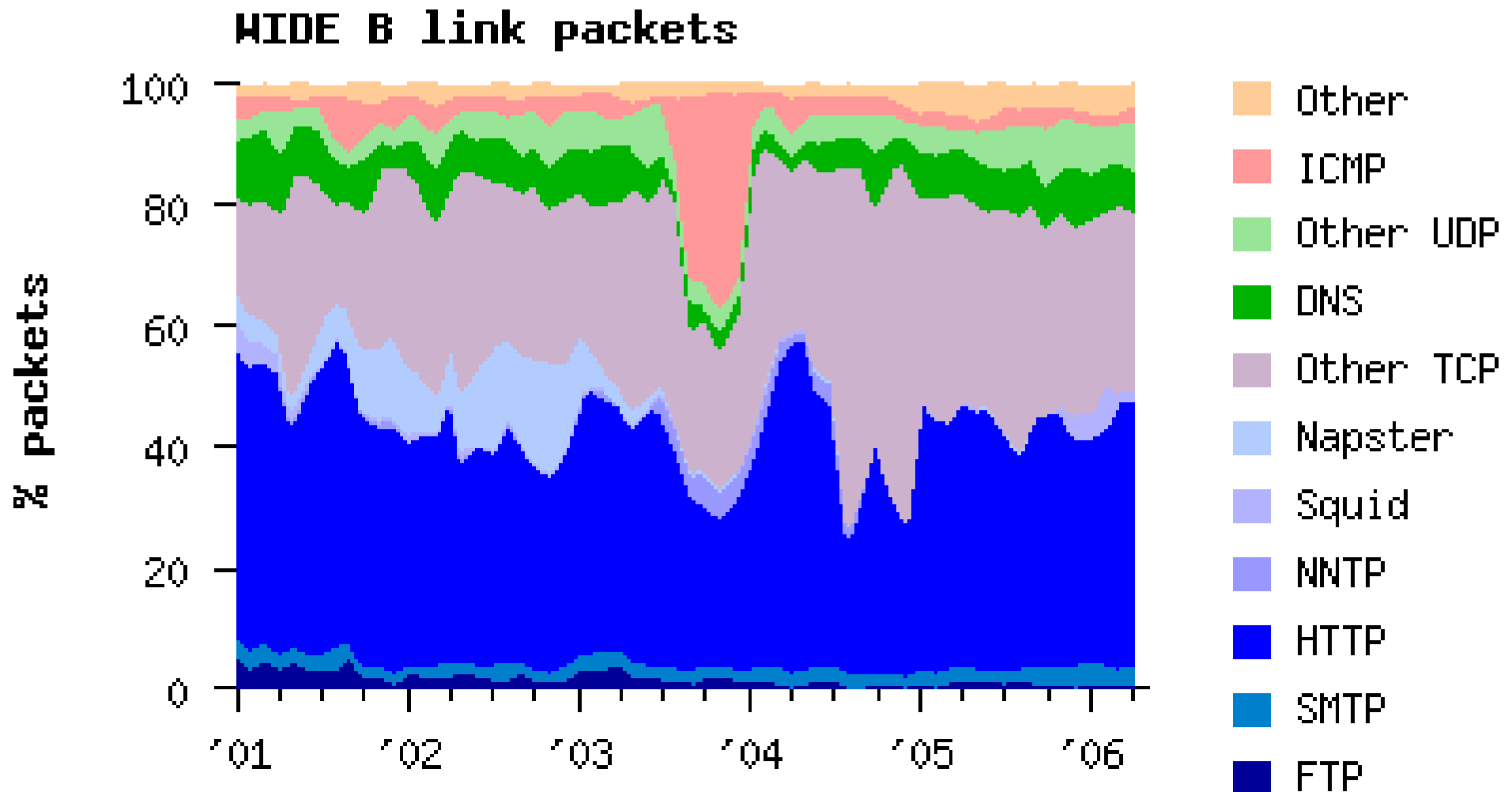
Example: weekends and holidays are different



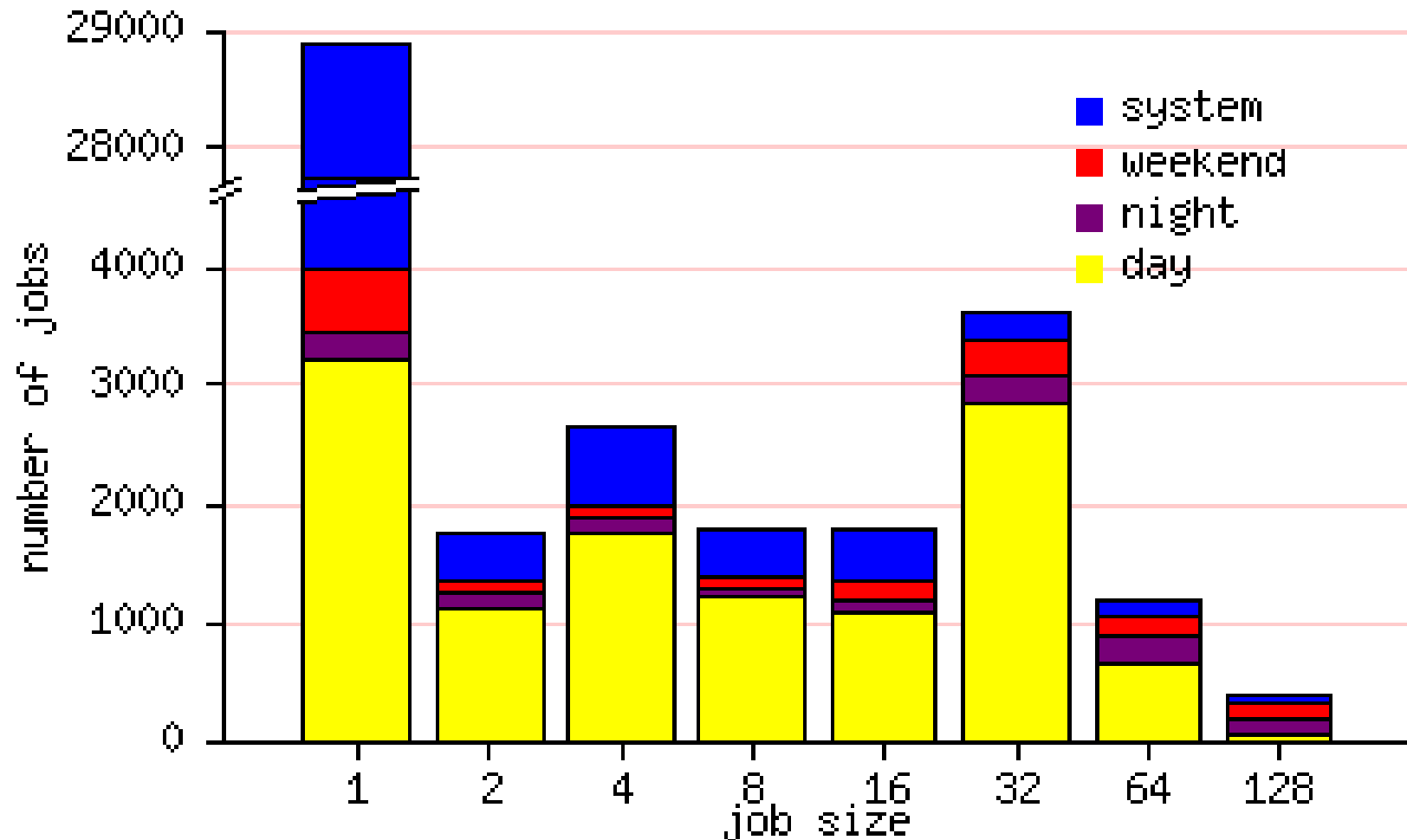
Example: process runtime data including multiple processes running ps as a result of a bug in an OS exercise



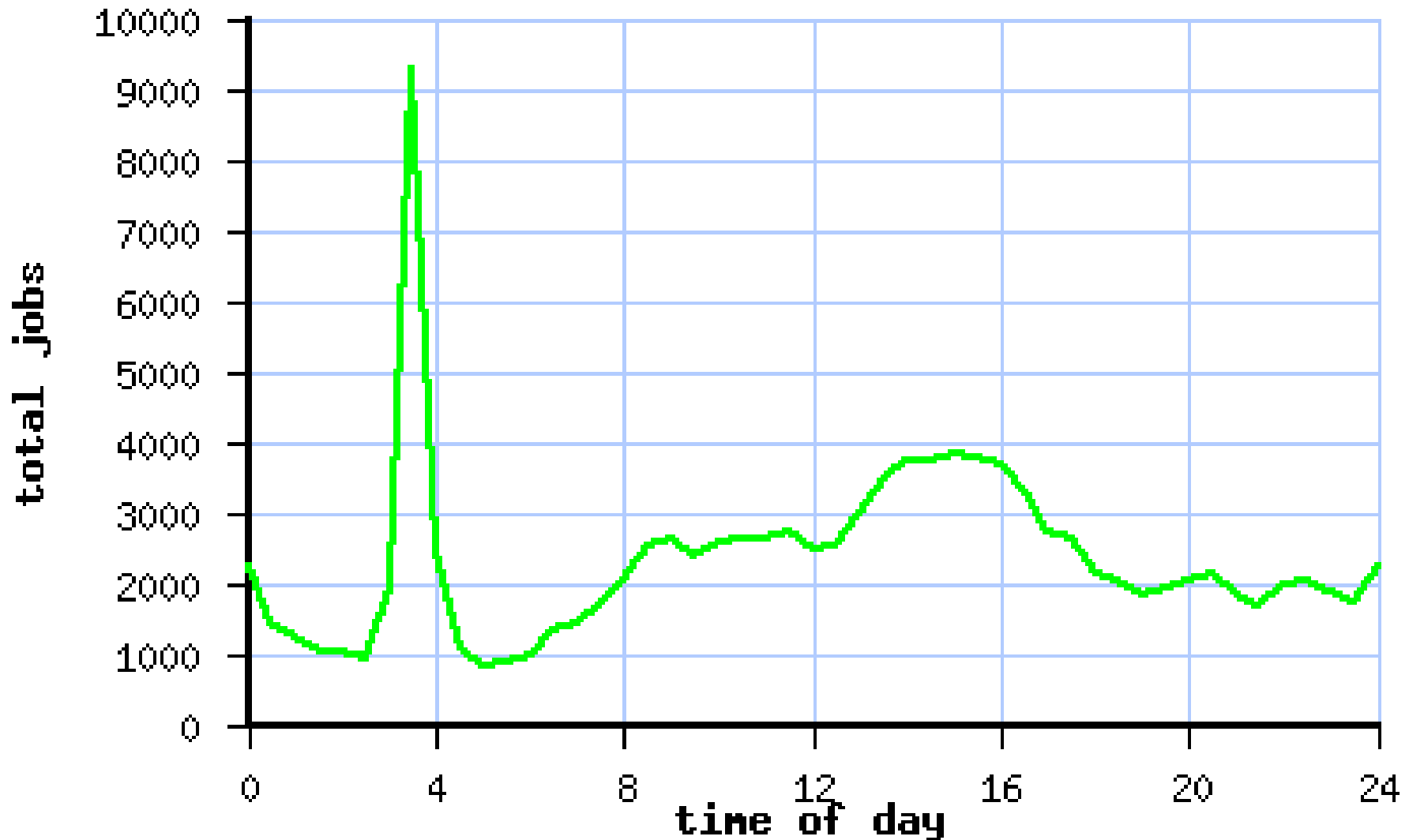
Example: the Welchia worm caused a change in Internet traffic composition that lasted 4 months



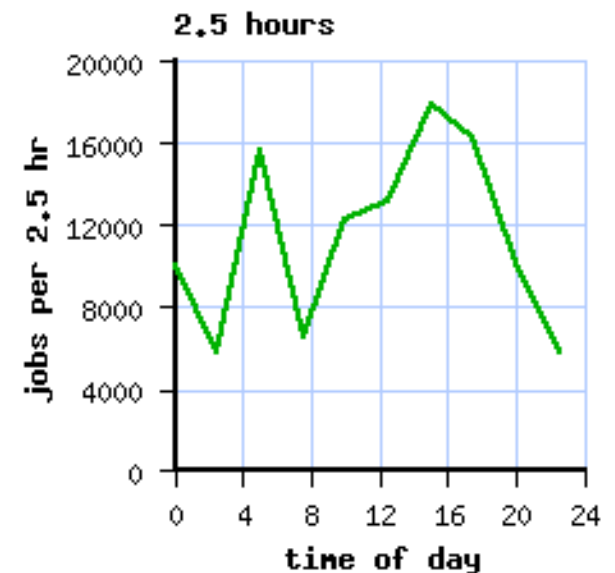
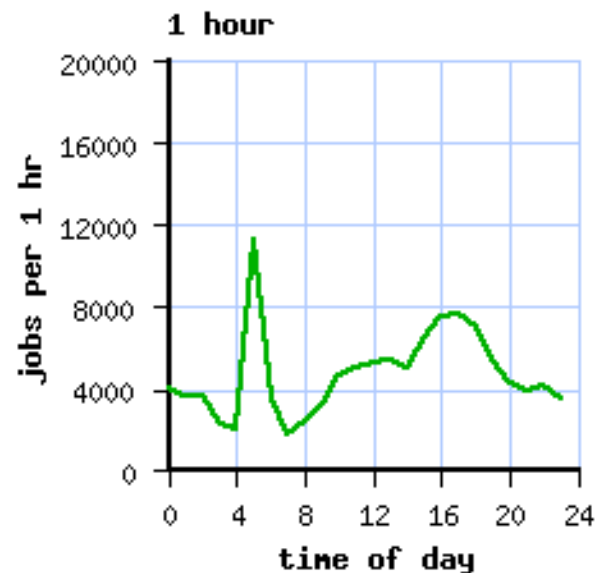
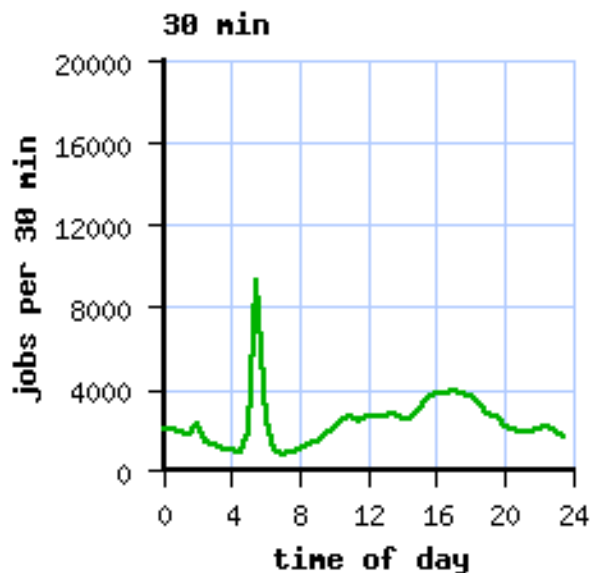
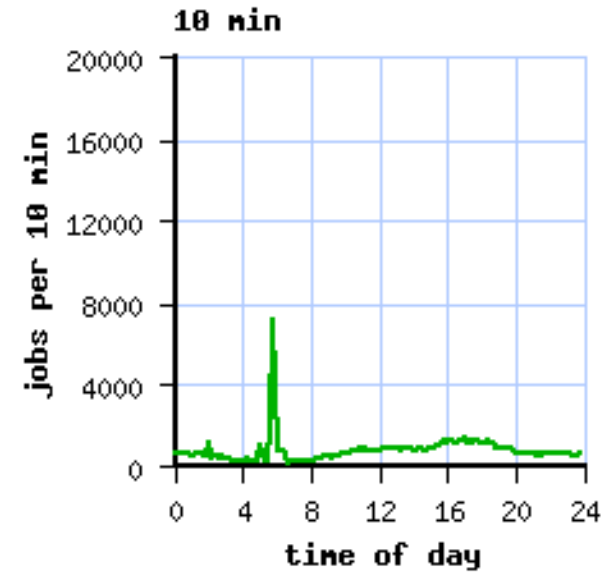
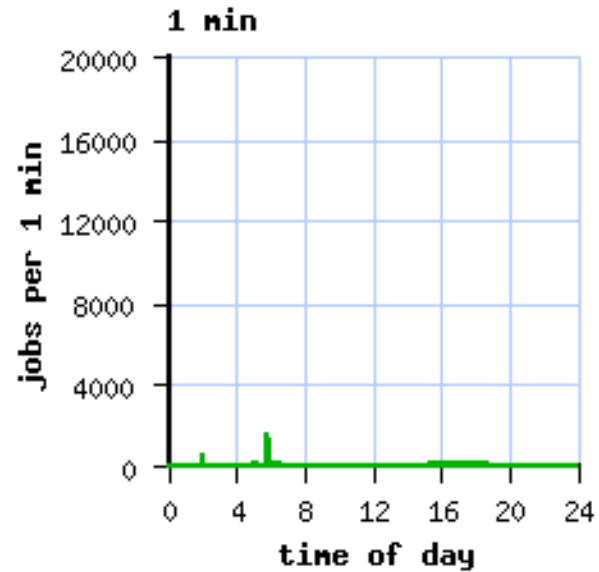
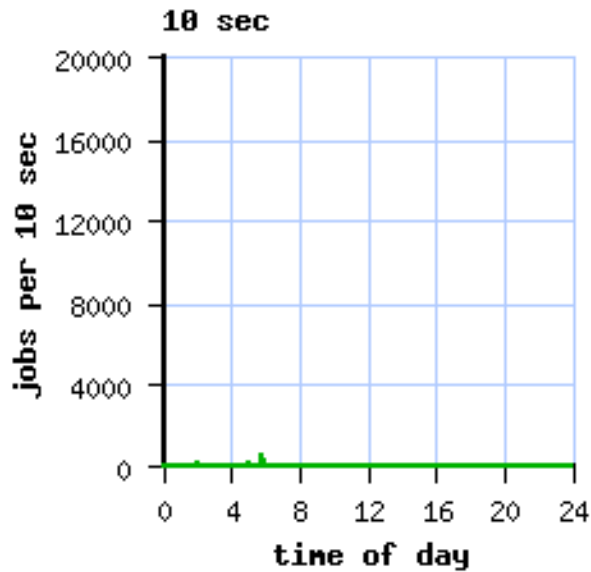
Example: half of NASA Ames iPSC workload was system administrators running pwd on one node to verify that the system was responsive



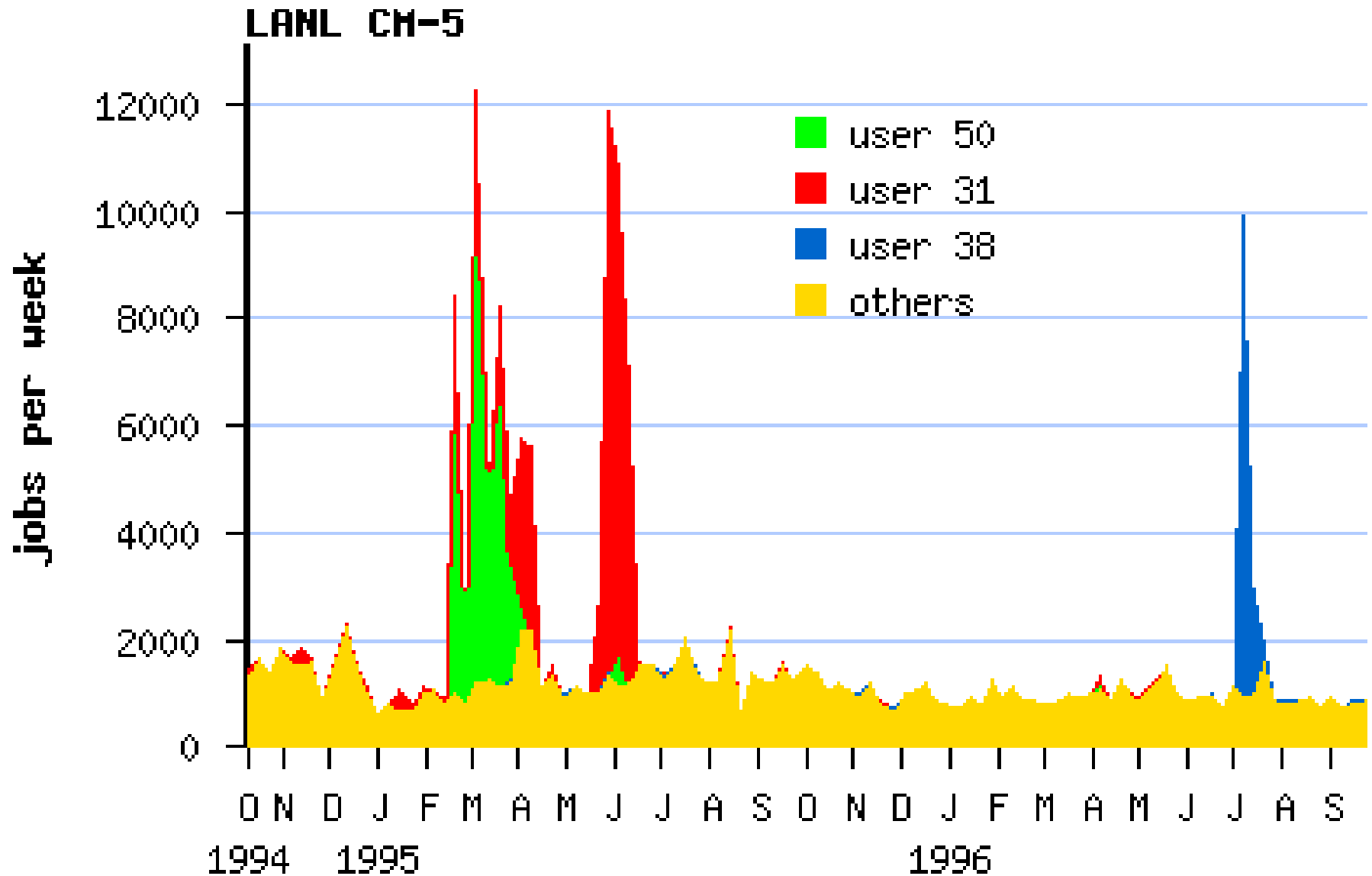
Example: SDSC Paragon has a suspicious peak of activity at 3:30 AM (probably daily cleanup)



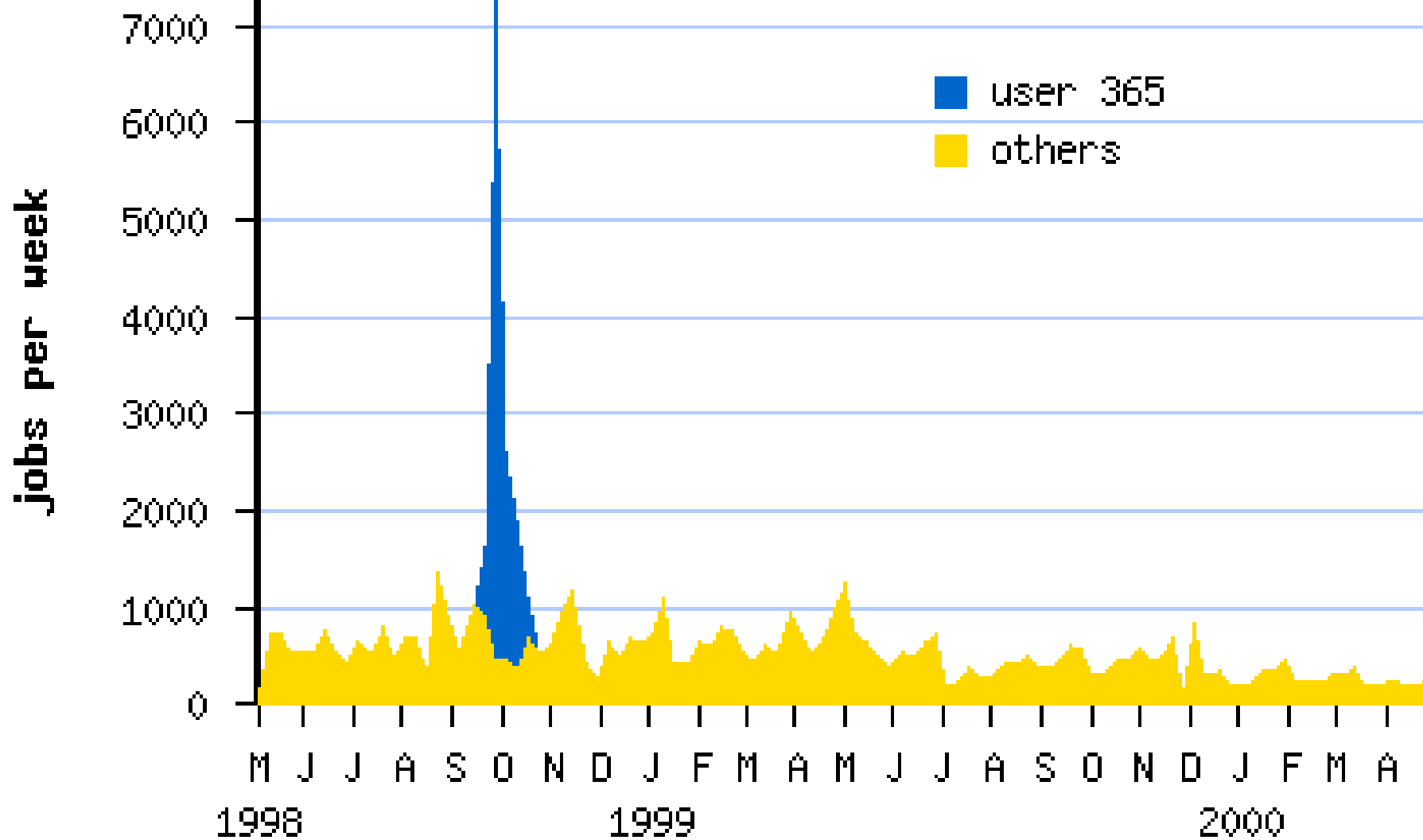
Need to set the resolution right to see this



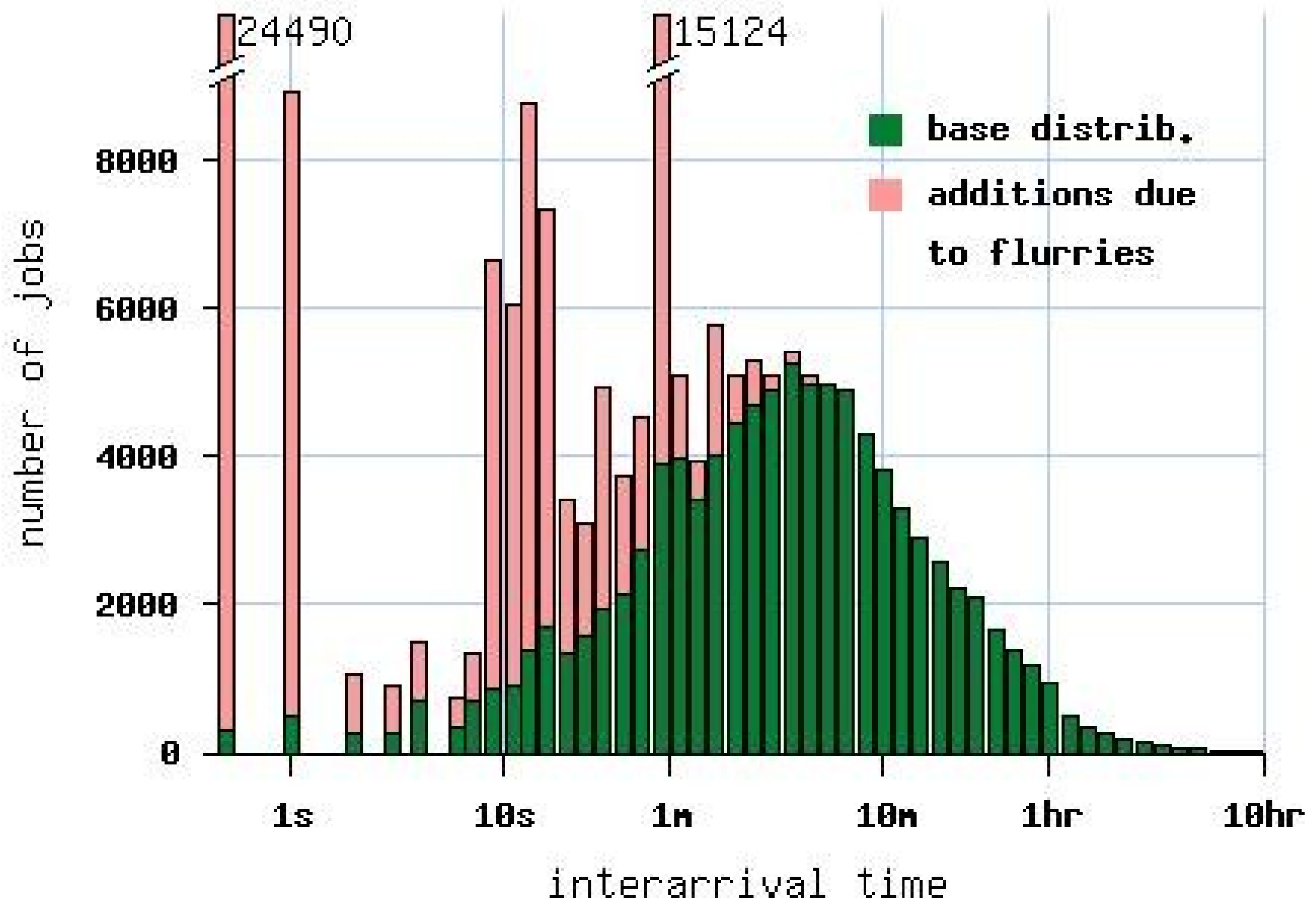
Example: workload may include flurries of intense activity by specific users



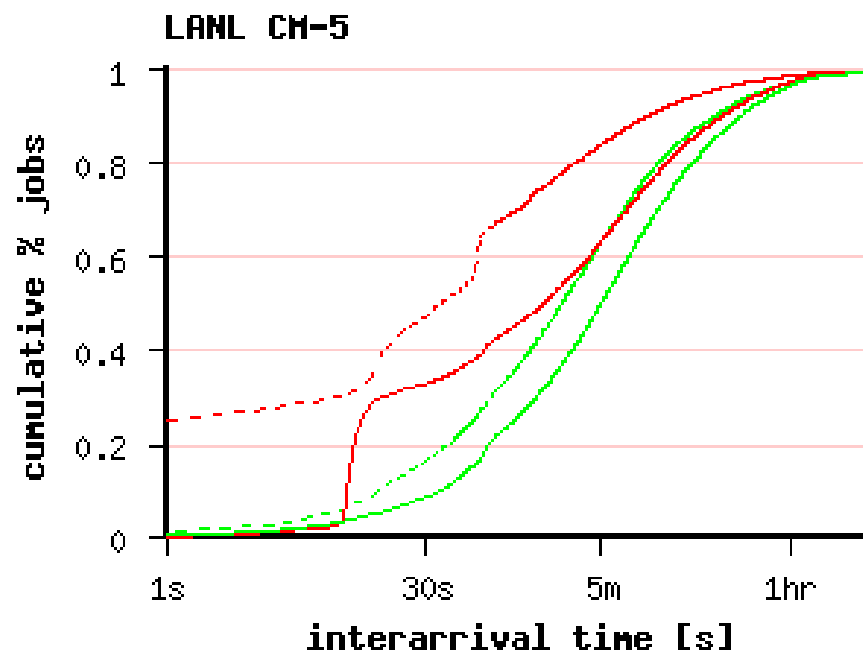
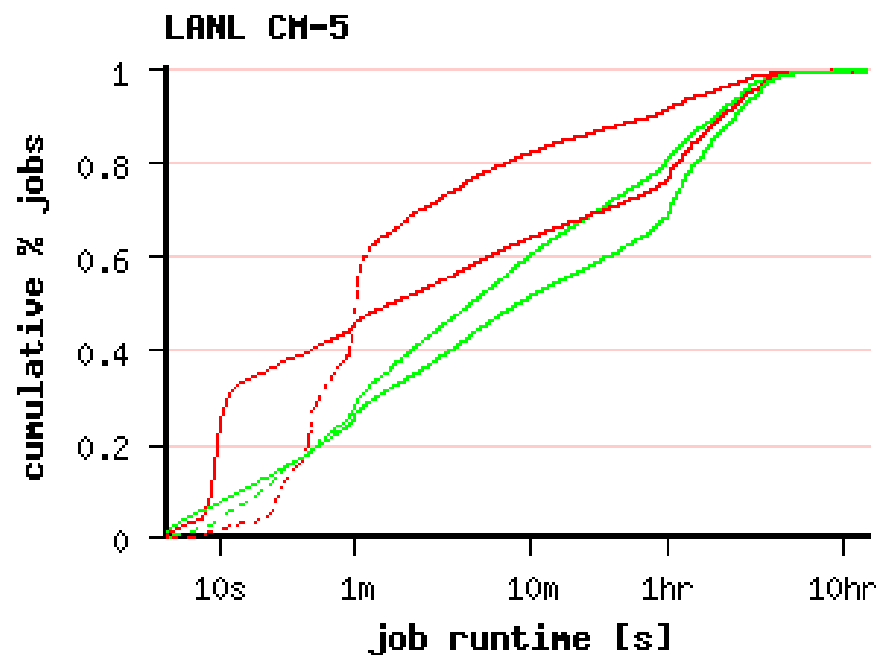
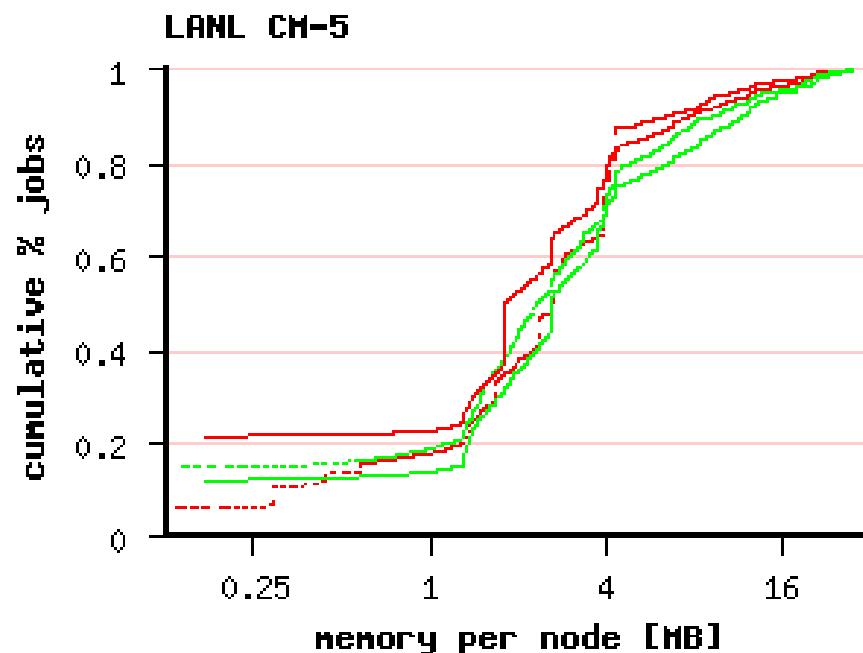
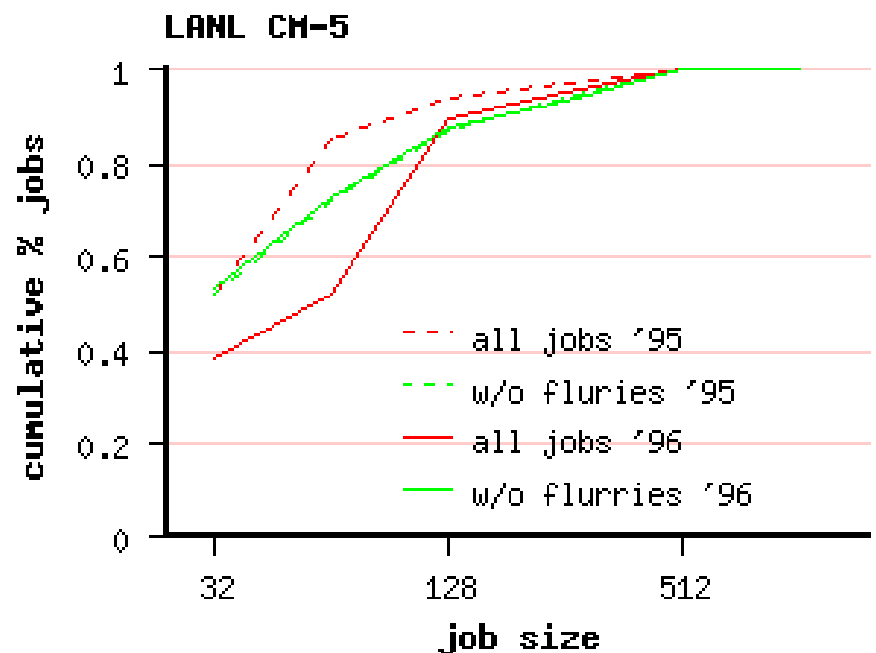
SDSC SP2



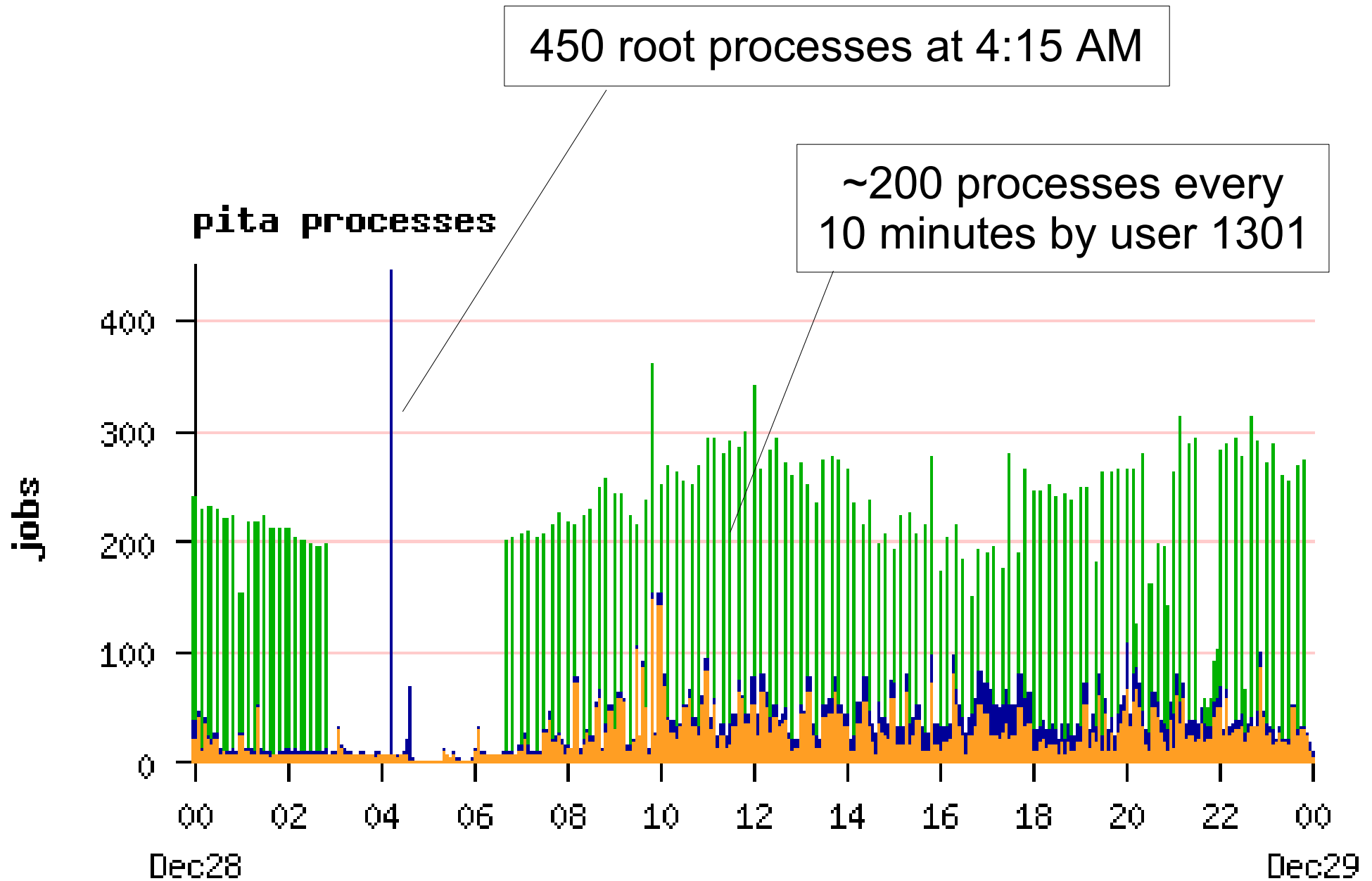
Flurries affect distributions of workload attributes



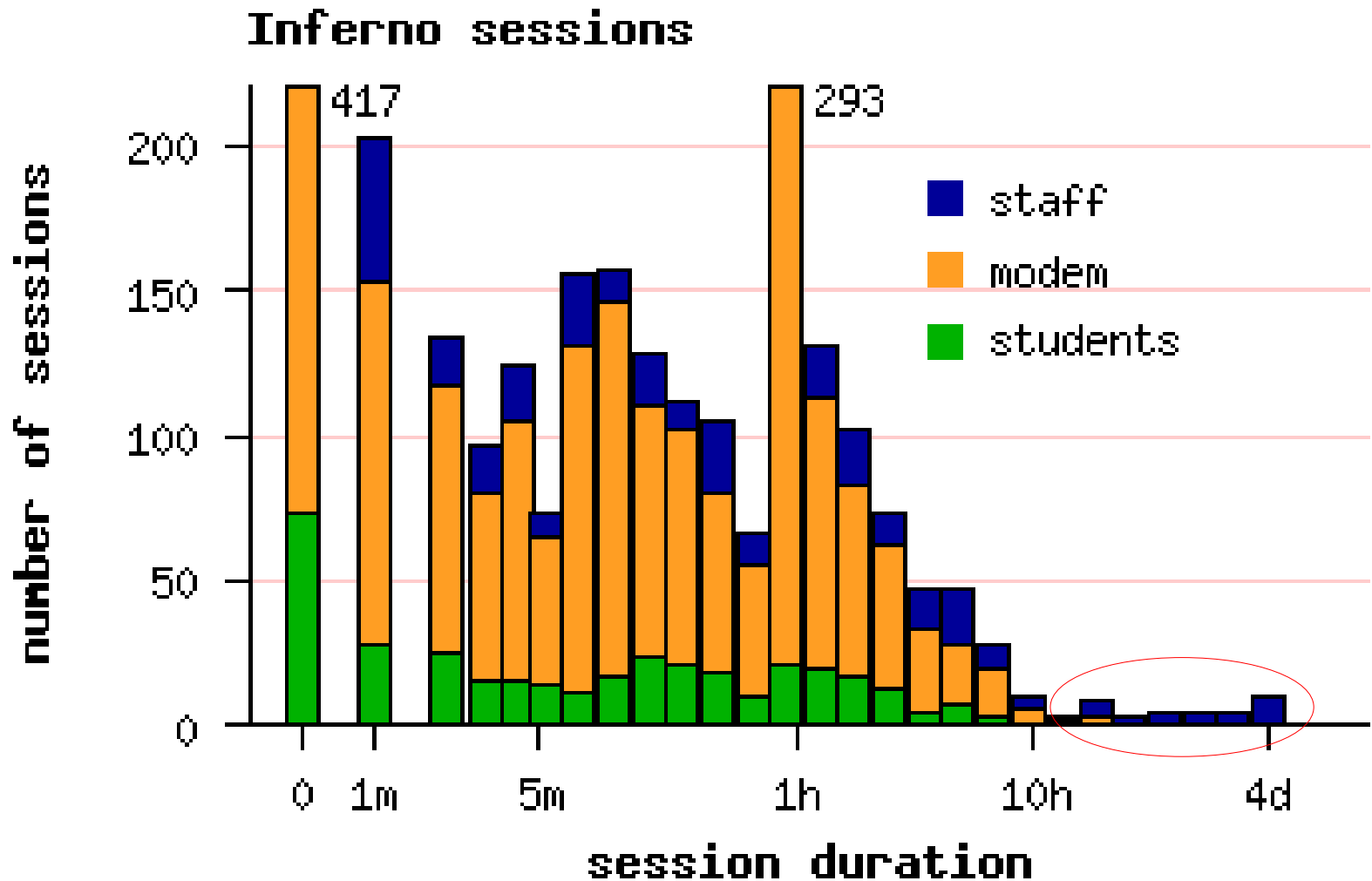
Different flurries cause different effects



Example: robot activity has different characteristics than humans



Example: impossibly long sessions created by staff that leave windows connected to a server open for several days



Heavy Tails

- Distributions of workload attributes are typically positive
 - No negative file sizes, runtimes, etc.
- There are typically many small items and few large ones
- The large ones can be **very large**
 - And therefore important in terms of resource usage
- This is the tail of the distribution
 - Technically, the "right" tail

The large items can be **so large** that they dominate the whole distribution

Consider the following discrete distribution:

2 with probability of $1/2$

4 with probability of $1/4$

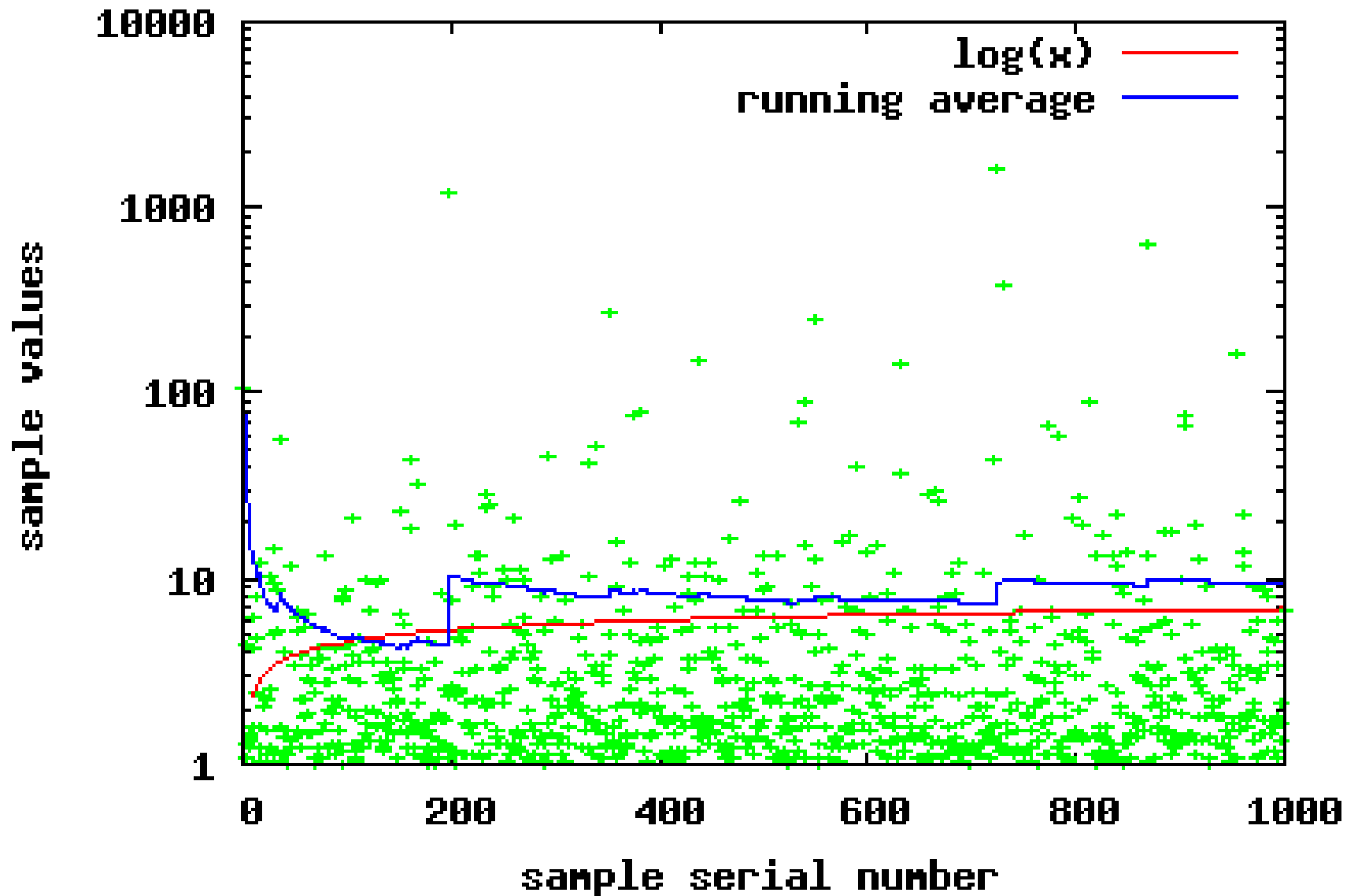
8 with probability of $1/8$

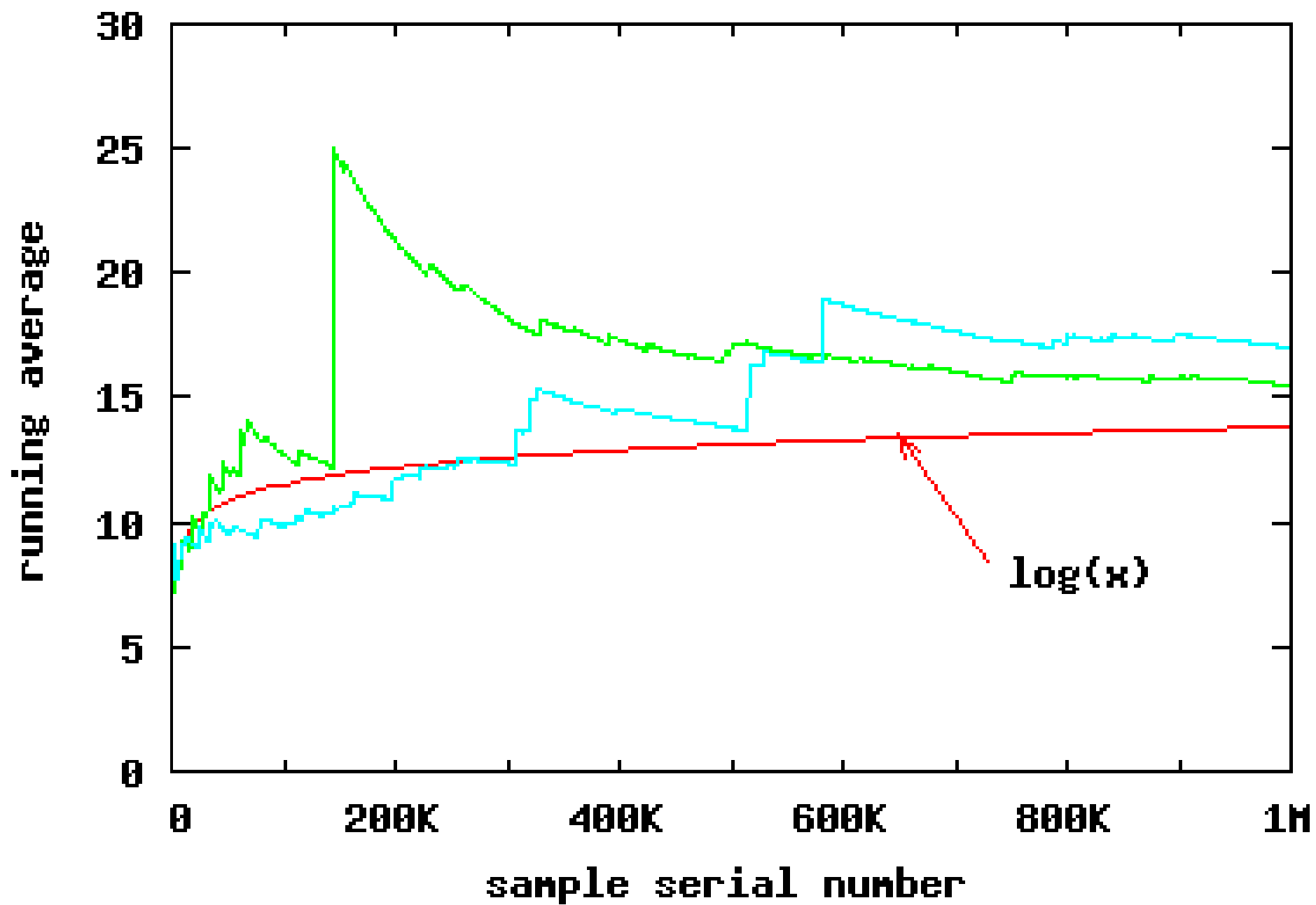
16 with probability of $1/16$

and so on

...The mean of this distribution is ∞

If we look at the running average of samples from a Pareto distribution, it grows in jumps whenever a large sample is seen

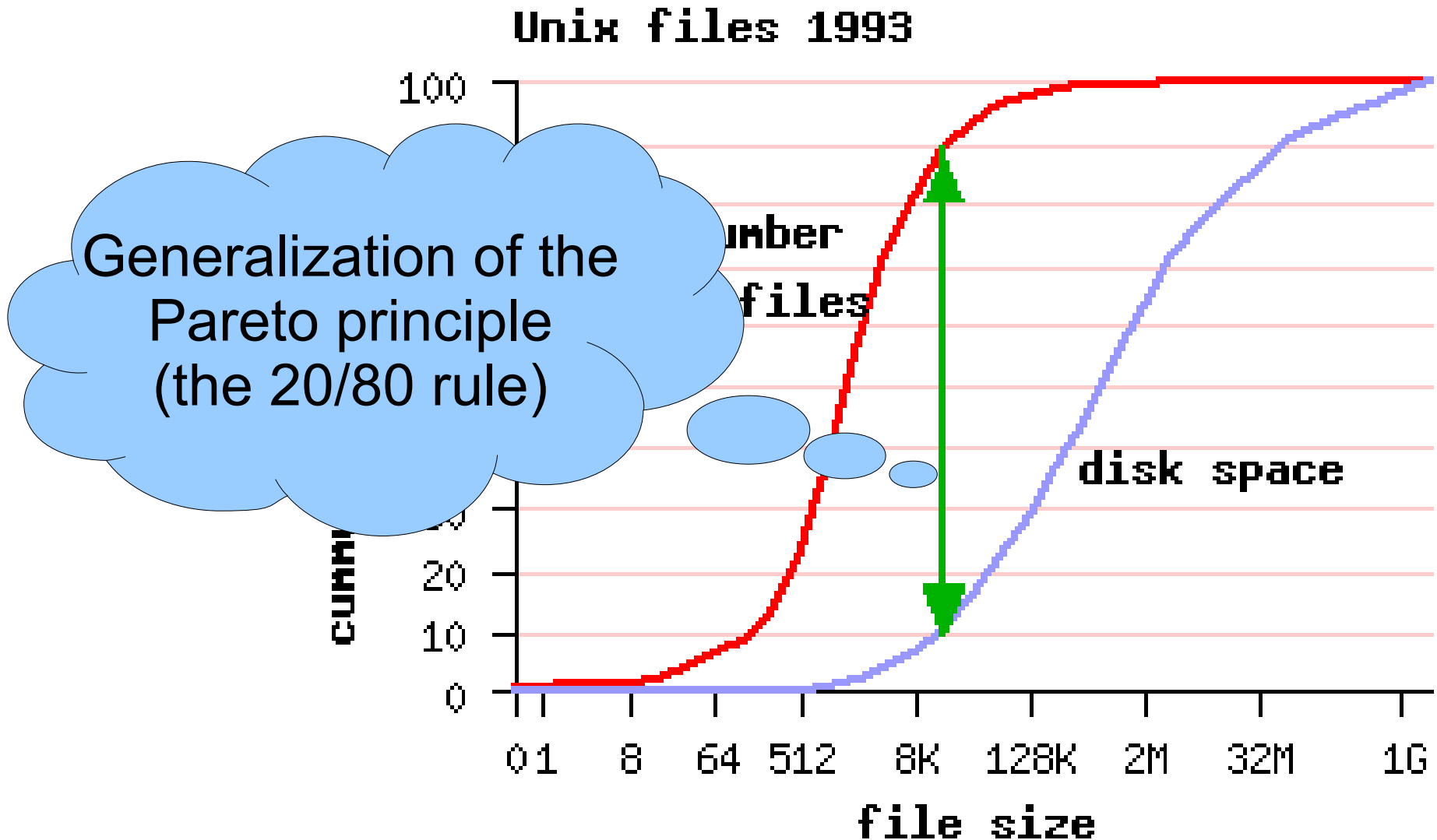




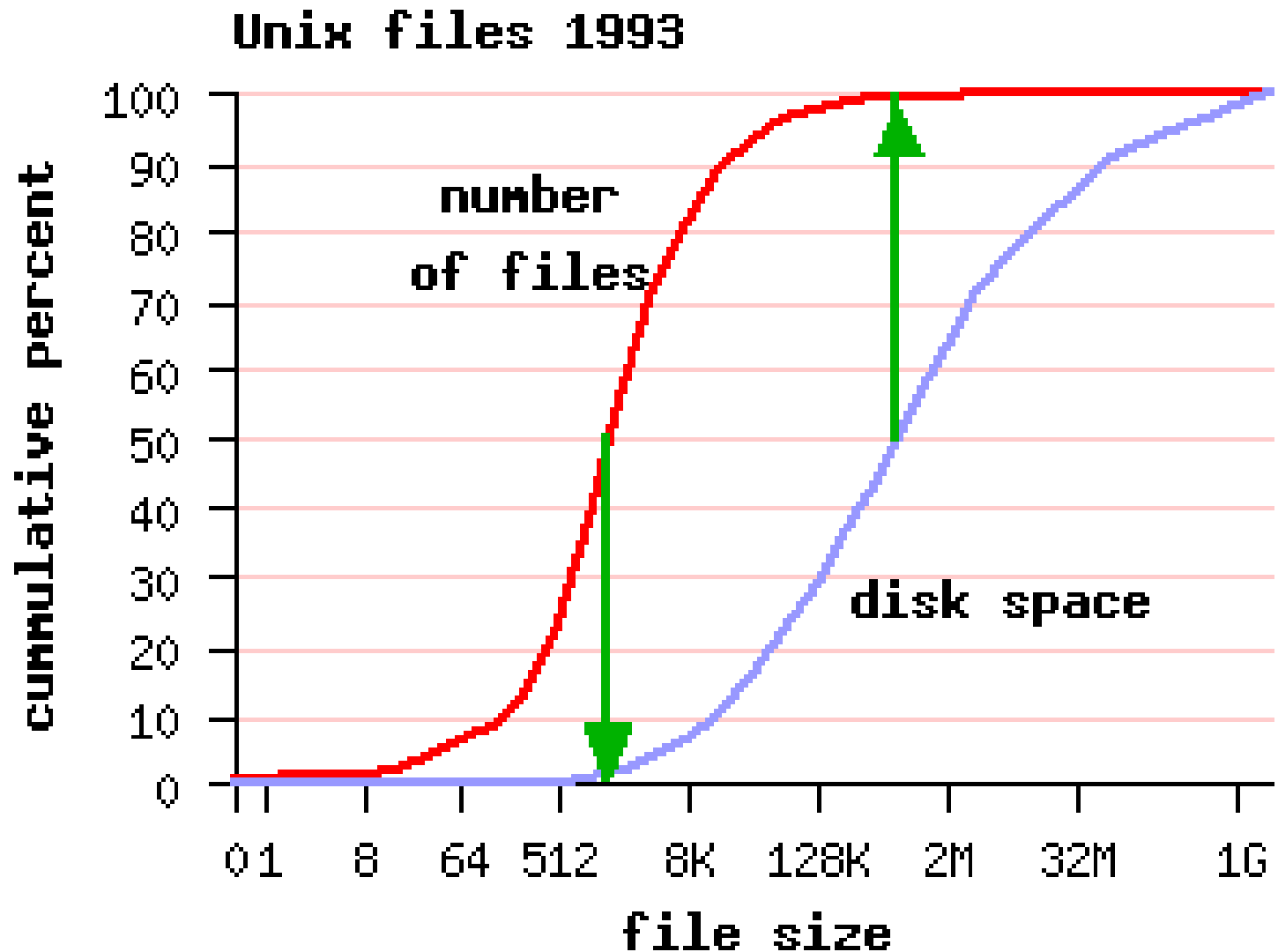
Perhaps the most important attribute of heavy-tail distributions is **mass-count disparity**: most of the items are small, but most of the mass is concentrated in a few items

- Most processes are short, but most CPU seconds are used by long processes
- Most files are small, but most disk space is used to store large files
- Most files on a web server are seldom requested, while most requests target a small subset of the files

Mass-count disparity can be quantified by the **joint ratio**: here 11% of the files account for 89% of the disk space, and 89% of files are only 11% of space



Also quantified by the 0-50 rule: 50% of the items together are practically 0 of the mass, and 50% of the mass comes from essentially 0 items



The formal definition of a heavy tail is that the survival function decay according to a power law

$$\bar{F}(x) = Pr(X > x) = x^{-\alpha}$$

By taking the log from both sides, we get

$$\begin{aligned} \ln(\bar{F}(x)) &= \ln(x^{-\alpha}) \\ &= -\alpha \ln(x) \end{aligned}$$

This serves both to identify heavy tails and to assess the tail index α

